CCSS Advanced Algebra 3

- 1. What is the difference between the graphs of $f(x) = x^2 + 1$ and $g(x) = x^2 1$?
- 2. What is the difference between the graphs of $f(x) = x^2 + 1$ and $h(x) = -x^2 + 1$?
- 3. Linsey wants to create a design on desmos and started with the parabola shown. What equation did she use to create this parabola?



- 5. Without graphing, describe everything you know about the parabola that represent the function m(x) = -(x+3)(x-5).
- 6. Without graphing, describe the differences in the parabolas that represent the function $p(x) = 4x^2$ and $q(x) = 0.25x^2$.

Vocabulary:

Parent Graph: the graphical representation of the most basic form of function family. The parent graph for Quadratic Functions is the graph of $y = x^2$.

Transformation: changes to the shape, orientation or location of the parent graph. There are three main types of transformations that we will study -- *Translation, Dilation and Reflection* (in Geometry, you also explored *Rotation*).

- <u>Translation</u> (Slide): moving all points on a graph horizontally or vertically a fixed amount.
 - Notation:
 - Vertical Translation f(x) + k
 - Horizontal Translation f(x k)



- <u>Dilation</u> (Stretch or Compression): an increase or decrease in the height (vertical dilation) or width (horizontal dilation) of a graph by a factor. For example, $y = 3x^2$ vertically stretches the parent function by a factor of 3.
 - Notation:
 - Vertical Dilation k f(x)
 - Horizontal Dilation f(kx)
- <u>Reflection</u> (Flip): mirroring a graph over a fixed line (typically the x-axis or y-axis).
 - Notation:
 - Vertical Reflection -f(x)
 - Horizontal Reflection f(-x)
- 7. For each function below, describe how the parent function $f(x) = x^2$ was transformed. The first one is done as an example.
 - a. $y = x^2 3$ the parent function was translated 3 units down.
 - b. $y = x^2 + 10$
 - c. $y = (x 4)^2$
 - d. $y = 0.5x^2$
 - e. $y = (2x)^2$
 - f. $y = -(x-1)^2$ (describe both transformations)
 - g. $y = 5(x+2)^2 5$ (describe all transformations)