

**Part 1: Write the expression that fits each blank. Then name the transformation(s).**

$f(x) = x^2$

$g(x) = |x|$

$h(x) = \sqrt{x}$

$j(x) = x^3$

$k(x) = \sqrt[3]{x}$

Expression	$f(x+2) = (x+2)^2$	$2g(x) = 2 x $	$h(x)-4 = \sqrt{x}-4$	$j(0.1x) = (0.1x)^3$
Transformation	Translate left 2	Vertical Dilataion by 2	Translate down 4	Horizontal Dilataion by 10.
Expression:	$2k(x-1) = 2\sqrt[3]{x-1}$	$g(2x)+4 =  2x +4$	$f(2(x-5)) = (2(x-5))^2$	$4h(x)+3 = 4\sqrt{x}+3$
Transformation	Shift right 1 Stretch up by 2	Shift up 4 Horizontal Compress of 2	Shift right 5 Horizontal Compress of 2	Shift up 3 Vertical stretch of 4

**Part 2: Write the equation for each function described below:**

1. Parent Quadratic function ( $y = x^2$ ) is reflected over the x-axis, translated down 4 units and left 2 units.

$$y = -(x+2)^2 - 4$$

2. Parent Cubic function ( $y = x^3$ ) is stretched vertically by a factor of 3, translated right 5 units and up 1 unit.

$$y = 3(x-5)^3 + 1$$

3. Parent Square Root function ( $y = \sqrt{x}$ ) is reflected over the y-axis, compressed vertically by a factor of  $\frac{1}{2}$  and translated left 4 units.

$$y = \frac{1}{2}\sqrt{-(x+4)}$$

4. Parent Cube Root function ( $y = \sqrt[3]{x}$ ) is reflected over the y-axis, compressed horizontally by a factor of 8 and translated up 3.

$$y = \sqrt[3]{-8x} + 3$$

5. Parent Absolute Value function ( $y = |x|$ ) is stretched vertically by a factor of 2, translated right 3 units and reflected over the x-axis.

$$y = -2|x-3|$$

6. Parent Linear function ( $y = x$ ) is reflected over the x-axis, stretched vertically by a factor of 4 and translated right 2 units.

$$y = -4(x-2)$$