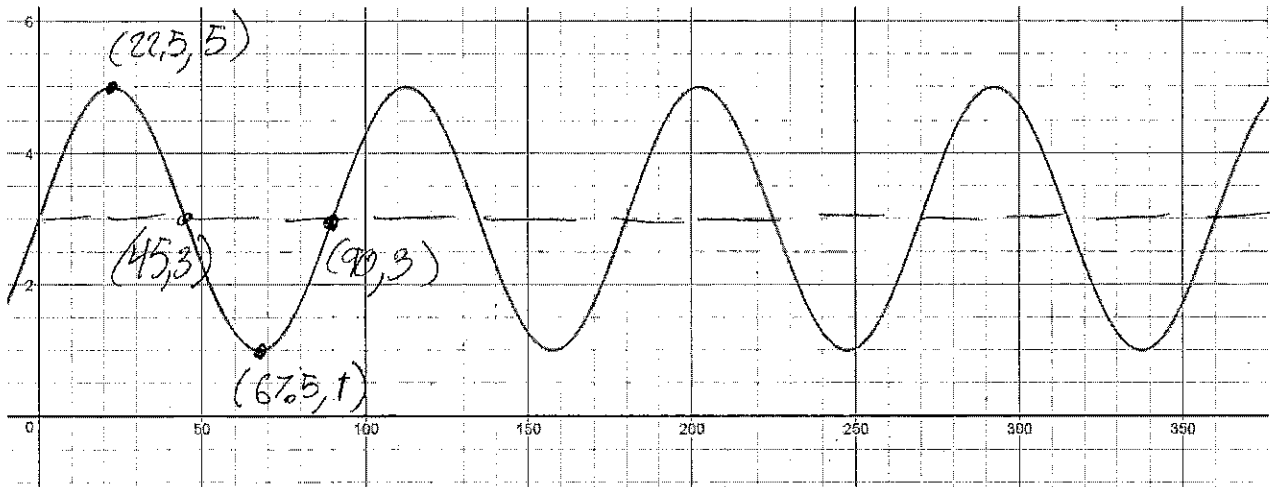


1. For the graph below,
 - a. Draw the midline.
 - b. Label the coordinate points (x,y) of the maximum and minimum points.
 - c. Label the coordinate points where the curve crosses the midline.



- d. How can you use your drawing to find the
 - i. Amplitude?
 2
 Distance from midline to top or bottom
 - ii. Frequency and Period?
 4
 90
 $\frac{360}{\text{period}} = \text{frequency}$
 - iii. Vertical Translation (or Midline)?
 3
- e. What is the equation of the sine curve shown? In the form $f(x) = a \sin(b(x + c)) + d$

$$y = 2 \sin 4x + 3$$

2. Consider the function $f(x) = 3 \sin(2x) - 1$
 - a. What is the Amplitude of the sine curve?
 3
 - b. What is the Frequency and Period of the sine curve?
 2
 180°
 - c. What is the Midline of the sine curve?

$$-1$$

- d. Write the range of the function in the form $\# \leq y \leq \#$.

$$-4 \leq y \leq 2$$

- e. What will be the coordinates (x,y) of first maximum point on the sine curve? The first minimum point? Recall that x = degrees and y = height.

Max $x = 45, y = 2$

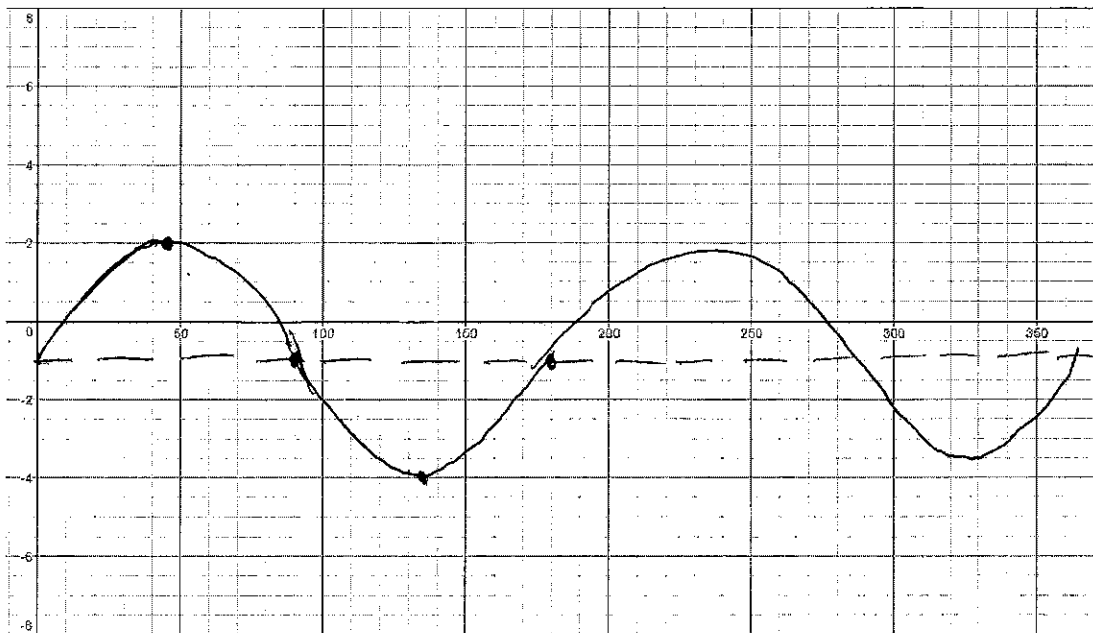
Min $x = 135, y = -4$

- f. What will be the coordinates (x,y) where the sine curve crosses the midline?

~~x = 90, y = -1~~

g. On the axes below, Draw

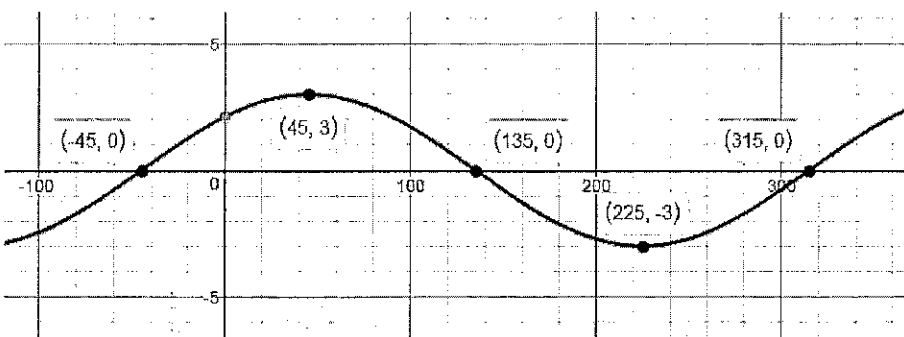
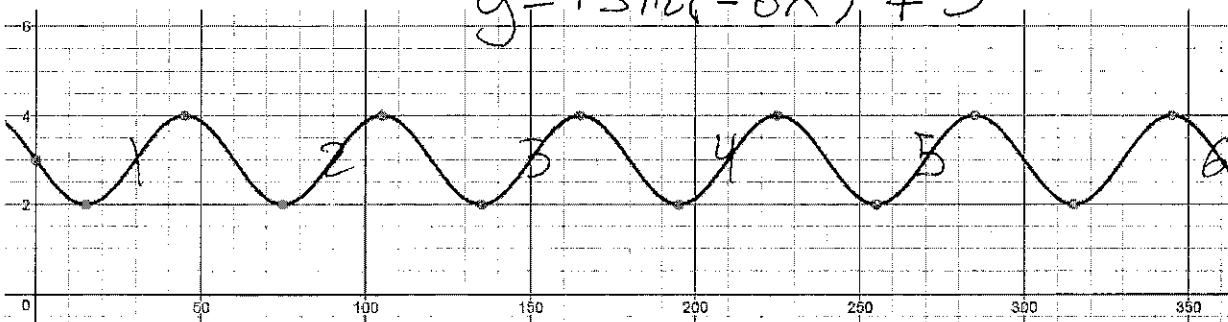
- i. the midline
- ii. the points showing the first maximum and first minimum.
- iii. the points where the sine curve crosses the midline.



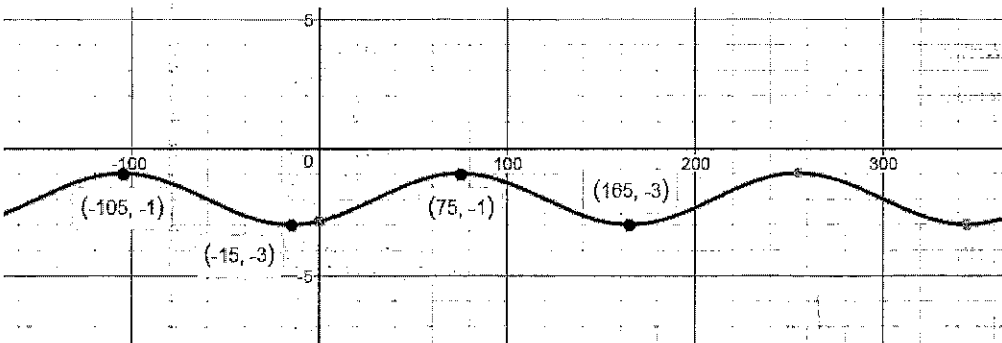
3. Use a strategy similar to #1 to find the equation for each sine curve shown below in the form

$y = a \sin(b(x + c)) + d$.

$y = 1 \sin(-6x) + 3$



$y = 3 \sin(x + 45)$



~~$y = \sin(x)$~~
 $y = \sin(2(x - 30)) - 1$